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There are 9 squares involved with the 7, so 480 other squares. These other squares contain the 92 other mines. So the number of grids with a 7 at a particular spot is $8(47192)$. That is out of a total of $(48) T_j T^* BT / F1$

Probability of getting a 7 in Minesweeper - Math Stack Exchange : questions : probability-of-getting-a-7-in-mines...
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We have $492556=125244$ ways for an easy grid to have an 8 somewhere. Out of the 1.88 trillion total easy grids, this gives a probability of about 610×8 . So, very rare indeed!
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